



VEERMATA JIJABAI TECHNOLOGICAL INSTITUTE
[Central Technological Institute, Maharashtra State]
Matunga, Mumbai-400 019

SEMESTER EXAMINATION ESE April 2014 DATE OF EXAM 28/04/14
SEMESTER & PROGRAM S Y B Tech Computer TIME 1:30 to 4:30 pm
TIME ALLOWED 3 HRS. MARKS 100
COURSE (CourseCode) : Data Structures and Algorithms (CO0208)

- Instructions
1. Q 1 is compulsory. Solve any four from remaining.
 2. Figures to the right indicate full marks.
 3. Write algorithms stepwise, neat and clean. Avoid writing algorithm as descriptive sentences and paragraphs to maintain clarity in steps.

Q 1	A	Define O-Notation and Θ -Notation with example.	04
	B	Find post-order of a binary tree from given in-order and pre-order sequence. Explain it step by step. In order = G, D, H, B, E, A, C, I, F, J Pre-order = A, B, D, G, H, E, C, F, I, J	04
	C	Write non-recursive pseudo code for in-order traversal of a binary tree.	04
	D	Write an algorithm to perform parenthesis matching using stack	04
	E	Take the following list of functions and arrange them in ascending order of growth rate. That is, if function $g(n)$ immediately follows function $f(n)$ in your list, then it should be the case that $f(n)$ is $O(g(n))$. $f_1(n) = \sqrt{2n}$, $f_2(n) = n+10$, $f_3(n) = 10^n$ $f_4(n) = 100^n$, $f_5(n) = n^{2.5}$	04
Q 2	A	Explain queue and queue operations.	05
	B	Write an algorithm that reverses given single linked list in $\Theta(n)$ time and uses constant storage beyond that needed for the list itself	05
	C	Write and explain algorithm for insertion sort to be performed on given single linked list. Every node contains integer data. (Note: you have to swap the nodes of linked list to get it to proper position)	10
Q 3	A	Write recursive pseudo code to delete all existing leaf nodes from the given binary tree represented with linked representation.	05
	B	Write an algorithm to find smallest element from the any given binary tree represented with linked representation	05
	C	Write algorithm to perform sorting in descending order using heap sort. Show sorting on following values: 25, 57, 48, 37, 12, 92, 86, 33	10
Q 4	A	The transpose of a directed graph $G = (V, E)$ is the graph $GT = (V, ET)$, where $ET = \{(v, u) \in V \times V : (u, v) \in E\}$. Thus, GT is G with all its edges reversed. Describe efficient algorithms for computing GT from G , for both the adjacency-list and adjacency-matrix representations of G . Analyze the running times of your algorithms.	10

	B	Write and explain Prim's Minimum Spanning tree algorithm with example. Explain its time complexity.	10
Q 5	A	A directed graph $G = (V, E)$ is <i>singly connected</i> if $u \rightarrow v$ implies that there is at most one simple path from u to v for all vertices $u, v \in V$. Give an efficient algorithm to determine whether or not a directed graph is singly connected and specify its time complexity.	10
	B	Let $G = (V, E)$ be an (undirected) graph with costs $c_e \geq 0$ on the edges $e \in E$. Assume you are given a minimum-cost spanning tree T in G . Now assume that a new edge is added to G , connecting two nodes $v, w \in V$ with cost c . Give an efficient algorithm to test if T remains the minimum-cost spanning tree with the new edge added to G (but not to the tree T). Make your algorithm run in time $O(E)$. Can you do it in $O(V)$ time? Please note any assumptions you make about what data structure is used to represent the tree T and the graph G . Justify your answer with proper reasoning	10
Q 6	A	Write and explain algorithm to find whether given graph is bipartite or not.	10
	B	Explain merge sort with example. Write time complexity in every case.	10